Item #		Rationale
1	Option C is correct	To determine the time Jon took the pie out of the oven, the student could have added 35 minutes to the time Jon put the pie in the oven by counting in 5-minute intervals starting at 5:15 p.m. This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely added 6 sets of 5-minute increments rather than 7 sets. The student needs to focus on accurately solving problems that deal with measurements of time.
	Option B is incorrect	The student likely assumed that elapsed time always affected both hours and minutes. Having added 35 minutes correctly, the student chose the answer that also showed an increase of 1 hour. The student needs to focus on accurately solving problems that deal with measurements of time.
	Option D is incorrect	The student likely added 6 sets of 5-minute increments rather than 7 sets. Also, the student likely assumed that elapsed time affected both hours and minutes. The student needs to focus on accurately solving problems that deal with measurements of time.

Item #		Rationale
2	Option J is correct	To determine the value of the digit in the tenths place, the student could have written the given number of inches using numerals (3.14). The student then could have identified the tenths place (first digit to the right of the decimal point) and selected "0.1."
	Option F is incorrect	The student likely chose the value that matched "three" in the verbal description, since the number 14 is not given as an answer choice. The student needs to focus on matching the verbal description of a number with a numeral.
	Option G is incorrect	The student likely assumed that the digits to the right of the decimal point followed a pattern symmetrical to those to the left of the decimal point (ones, tens, hundreds, etc.). The student likely selected the second digit to the right of the decimal point as belonging in the tenths place. The student needs to focus on understanding the positions of digits to the right of the decimal point.
	Option H is incorrect	The student likely confused the term "tenths" with "tens" and chose the value in the tens place: <u>0</u> 3.14. The student needs to focus on understanding the positions of digits to the left and right of the decimal point.

Item #		Rationale
3	Option C is correct	To determine the total number of markers in 26 sets, the student could have carried out the steps of the multiplication algorithm, multiplying 100 times 26. This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely used the multiplication algorithm but did not use a 0 as a placeholder in the ones place when multiplying the 2 in the tens place of 26. The student needs to focus on understanding how to use placeholders of zero when carrying out the steps in the multiplication algorithm.
	Option B is incorrect	The student likely added 3 zeros after the ones place for the 3 digits in 100; $(26 \times 100 = 26,000)$ . The student needs to focus on understanding how to multiply accurately when carrying out the steps in the multiplication algorithm.
	Option D is incorrect	The student likely added instead of multiplying. The student needs to focus on understanding the mathematical operations $(+, -, \times, \div)$ needed to represent the solution to a real-world problem.

Item #		Rationale
4	Option F is correct	To determine how best to describe the drawing, the student should have identified the attributes of what is shown. The student should have recognized that the drawing shows two line segments since each figure has two endpoints. The student then should have recognized that the two line segments in the drawing are parallel, since they do not intersect and are always the same distance apart.
	Option G is incorrect	The student likely confused the definitions of the terms "parallel" and "perpendicular." The student needs to focus on understanding the difference between parallel and perpendicular lines.
	Option H is incorrect	The student likely confused the definitions of the terms "line" and "line segment." The student needs to focus on understanding the difference between lines and line segments.
	Option J is incorrect	The student likely confused the definitions of the terms "intersecting" and "parallel." The student needs to focus on understanding the difference between parallel and intersecting lines.

Item #		Rationale
5	Option D is correct	To determine the true statement, the student could have used benchmark (commonly known) fractions to estimate the sum of the fractions of barbecue-flavored and cheese-flavored chips. The student should have compared $\frac{3}{5}$ to the benchmark fraction $\frac{1}{2}$ and compared $\frac{1}{3}$ to the benchmark fraction $\frac{1}{4}$ . The sum of $\frac{1}{2}$ (or $\frac{2}{4}$ ) and $\frac{1}{4}$ is equal to $\frac{3}{4}$ ; therefore less than $\frac{1}{2}$ of the remaining bags are plain chips. This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely disregarded the second bullet point. Because $\frac{1}{3}$ is less than $\frac{1}{2}$ , the student likely concluded that plain chips make up more than $\frac{1}{2}$ of the total number of bags of chips. The student needs to focus on attending to the details of problems involving the reasonableness of sums and differences involving benchmark fractions such as $\frac{1}{4}$ and $\frac{1}{2}$ .
	Option B is incorrect	The student likely compared $\frac{3}{5}$ to the benchmark fraction $\frac{1}{2}$ and compared $\frac{1}{3}$ to the benchmark fraction $\frac{1}{2}$ . The sum of $\frac{1}{2}$ and $\frac{1}{2}$ is equal to $\frac{2}{2}$ or 1 whole, meaning that those two flavors (barbecue and cheese) are the only chips being sold at the store. The student needs to focus on attending to the details of problems involving the reasonableness of sums and differences involving benchmark fractions such as $\frac{1}{4}$ and $\frac{1}{2}$ .

Item #	Rationale	
	Option C is incorrect	The student likely tried to find the sum of the given fractions, $\frac{1}{3}$ and $\frac{3}{5}$ , without using a common
		denominator. The student then added the numerators correctly, but incorrectly added the denominators
		$\left(\frac{1}{3} + \frac{3}{5} = \frac{4}{8}\right)$ . The student then likely determined that 4 is half of 8 and therefore $\frac{4}{8}$ is equal to $\frac{1}{2}$ . Based
		on this calculation, the student likely concluded that the remaining portion $\left(\frac{1}{2}\right)$ is plain chips. The student
		needs to focus on attending to the details of problems involving the reasonableness of sums and
		differences involving benchmark fractions such as $\frac{1}{4}$ and $\frac{1}{2}$ .

Item #	Rationale	
6	Option F is correct	To determine the error in the frequency table (table that shows how often each value in a set of data occurs), the student could have counted how many of the numbers in the list were in each interval in the frequency table. There are four numbers in the interval from 0 to 4 (0, 1, 4, 4), but the table shows a frequency of only three.
	Option G is incorrect	The student likely counted the numbers from 5 to 9 but did not include the number 9. The student needs to focus on understanding how to interpret data given in problems involving frequency tables.
	Option H is incorrect	The student likely accounted for the number 12 within the interval 10 to 14 but not the frequency. The student needs to focus on understanding how to interpret data given in problems involving frequency tables.
	Option J is incorrect	The student likely miscounted the data points in the interval from 15 to 19. The student needs to focus on organizing data and attending to the details in problems involving frequency tables.

Item #	Rationale	
7	8.54 and any equivalent	To determine the sum of the two lengths, the student could have written the two numbers vertically,
	values are correct	ensuring that the decimal point and each place value were aligned (the ones over the ones, the tenths
		over the tenths, the hundredths over the hundredths). While adding $0.8 + 0.7$ , the resulting 15 tenths
		means that a 1 (from 1.5) should be regrouped to the ones place and added to $2 + 5$ . This is an efficient
		way to solve the problem; however, other methods could be used to solve the problem correctly.

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Item #		Rationale
8	Option J is correct	To determine the measure of the angle <i>SRV</i> , the student should have added the measures of angle <i>SRT</i> (35°) and angle <i>TRV</i> (65°) to get 100° (35 + 65 = 100).
	Option F is incorrect	The student likely subtracted the measure of angle <i>SRT</i> from the measure of angle <i>TRV</i> . The student needs to focus on understanding how to determine the measure of an unknown angle formed by two non-overlapping adjacent angles when given one or both angle measures.
	Option G is incorrect	The student likely made an error when regrouping, adding 10 (from 5 + 5) to the sum of 35 and 65 to get 110° instead of 100°. The student needs to focus on understanding how to regroup when adding.
	Option H is incorrect	The student likely assumed that angle <i>SRV</i> was a right angle and concluded that the measure of the angle was 90 degrees. The student needs to focus on understanding how to determine the measure of an unknown angle formed by two non-overlapping adjacent angles when given one or both angle measures.

Item #		Rationale
9	Option B is correct	To determine the number represented by point <i>J</i> , the student could have first identified that the whole number 8 was represented by the darker tick mark halfway between the numbers 7 and 9. The student then could have counted the sections on the number line between 7 and 8 and between 8 and 9 to confirm that each section represents one-tenth. The student could have determined that since there are two sections between 8 and point <i>J</i> , point <i>J</i> represents 8.2 (eight and two-tenths).
	Option A is incorrect	The student likely confused the tenths and hundredths places, writing eight and two-tenths as 8.02 instead of 8.2. The student needs to focus on understanding the difference between tenths and hundredths when writing decimal numbers.
	Option C is incorrect	The student likely counted the number of tick marks (the lines) from 7 to point <i>J</i> , ignoring the tick mark indicating the whole number, 8. The student needs to focus on understanding how to determine the decimal number represented by a point on a number line.
	Option D is incorrect	The student likely counted the number of tick marks (the lines) starting at, and including the tick mark, 7 to point <i>J</i> , ignoring the tick mark indicating the whole number, 8. The student needs to focus on understanding how to determine the decimal number represented by a point on a number line.

Item #	Rationale	
10	Option H is correct	To determine which model could represent the rectangle with a perimeter (distance around the outside of a shape) of 40 centimeters and an area (amount of space covered by a shape) of 64 square centimeters, the student could have first found the rectangle that has four sides that add up to 40 centimeters. The student then could have referred to the Area section of the STAAR Grade 4 Mathematics Reference Materials page within the student's test booklet to find the formula for the area of a rectangle ( $A = I \times w$ , where $A = \text{area}$ , $I = \text{length}$ , and $w = \text{width}$ ). The student could have used this formula to identify the correct rectangle. The rectangle with a length of 16 cm and a width of 4 cm has a perimeter of 40 centimeters ( $16 + 4 + 16 + 4 = 40$ cm) and an area of 64 square centimeters ( $16 \times 4 = 64$ cm <sup>2</sup> ).
	Option F is incorrect	The student likely found the area of the rectangle $(32 \times 2 = 64 \text{ cm}^2)$ but ignored the perimeter. The student needs to focus on understanding how to solve problems related to perimeter and area of rectangles where dimensions are whole numbers.
	Option G is incorrect	The student likely found the area of the rectangle ( $8 \times 8 = 64 \text{ cm}^2$ ) but ignored the perimeter. The student needs to focus on understanding how to solve problems related to perimeter and area of rectangles where dimensions are whole numbers.
	Option J is incorrect	The student likely found the perimeter of the rectangle $(11 + 9 + 11 + 9 = 40 \text{ cm})$ but ignored the area. The student needs to focus on understanding how to solve problems related to perimeter and area of rectangles where dimensions are whole numbers.

Item #		Rationale
11	Option B is correct	To determine the number of flowers made by each fourth-grade class, the student could have divided the total number of sheets of paper (300) by the number of sheets used to make one flower (4); $300 \div 4 = 75$ . Then the student could have divided the total number of flowers made (75) by the number of classes making flowers (5); $75 \div 5 = 15$ . This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely found the total number of flowers made ( $300 \div 4 = 75$ ) rather than the number of flowers made by each class. The student needs to focus on understanding the math operations (+, -, ×, $\div$ ) needed to solve a multi-step problem. The student also needs to focus on attending to the details of the question.
	Option C is incorrect	The student likely found the number of sheets of paper used by each class ( $300 \div 5 = 60$ ) and then subtracted the number of sheets of paper used by one class from the total number of sheets of paper. The student needs to focus on understanding the math operations (+, -, ×, $\div$ ) needed to solve a multi-step problem.
	Option D is incorrect	The student likely made a computational error when dividing 75 by 5. The student needs to focus on understanding how to accurately carry out the steps in the division algorithm.

Item #		Rationale
12	Option F is correct	To determine which expenses were variable expenses, the student should have identified the expenses that vary from month to month. The student should have identified the water and electricity payments as the only expenses that were different amounts each month.
	Option G is incorrect	The student likely confused variable expenses with necessary expenses (rent, water, electricity). The student needs to focus on understanding that variable expenses can represent both needs and wants and are expenses that change from month to month.
	Option H is incorrect	The student likely confused the definitions of variable expenses (expenses that change from month to month) and fixed expenses (expenses that stay the same from month to month). The student needs to focus on understanding the definition of variable expenses.
	Option J is incorrect	The student likely confused variable expenses with unnecessary expenses (such as cable TV). The student needs to focus on understanding that variable expenses can represent both needs and wants and are expenses that change from month to month.

Item #	Rationale	
13	Option C is correct	To determine the person who mowed greater than $\frac{3}{4}$ of a lawn, the student could have created
		equivalent fractions by finding a common denominator (bottom number that is the same) for each fraction
		in the table and $\frac{3}{4}$ . To compare $\frac{3}{4}$ and $\frac{10}{15}$ , 4 and 15 can each be multiplied by a number to get 60
		$\left(\frac{3\times15}{4\times15} = \frac{45}{60} \text{ and } \frac{10\times4}{15\times4} = \frac{40}{60}; \frac{3}{4} > \frac{10}{15}\right).$ To compare $\frac{3}{4}$ and $\frac{5}{6}$ , 4 and 6 can each be multiplied by a
		number to get 24 $\left(\frac{3\times6}{4\times6} = \frac{18}{24} \text{ and } \frac{5\times4}{6\times4} = \frac{20}{24}; \frac{3}{4} < \frac{5}{6}\right)$ . To compare $\frac{3}{4}$ and $\frac{12}{18}$ , 4 and 18 can each be
		multiplied by a number to get 72 $\left(\frac{3\times18}{4\times18} = \frac{54}{72}\right)$ and $\frac{12\times4}{18\times4} = \frac{48}{72}$ ; $\frac{3}{4} > \frac{12}{18}$ . To compare $\frac{3}{4}$ and $\frac{6}{8}$ , 4 and 8
		can each be multiplied by a number to get 8 $\left(\frac{3\times 2}{4\times 2} = \frac{6}{8}\right)$ and $\frac{6\times 1}{8\times 1} = \frac{6}{8}$ ; $\frac{3}{4} = \frac{6}{8}$ . The fraction $\frac{5}{6}$ is the only
		fraction in the table that is greater than $\frac{3}{4}$ . This is an efficient way to solve the problem; however, other
		methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely considered the fractions with greater numerators (top numbers) and greater denominators to be greater fractions. The student needs to focus on understanding how to compare fractions with different numerators and denominators.
	Option B is incorrect	The student likely considered fractions with double-digit numerators and denominators to be greater than
		how to compare fractions with different numerators and denominators.
	Option D is incorrect	The student likely considered the fraction that is equivalent to $\frac{3}{4}$ but appears to be "doubled" to be
		greater than $\frac{3}{4}$ . The student needs to focus on understanding how to compare fractions with different
		numerators and denominators.

Item #		Rationale
14	Option F is correct	To determine which strip diagram represents the total number of pictures Erin has, the student should have first recognized that the total number of pictures, $p$ , is represented by the entire length of the strip in the diagram. Next, since Erin has twice as many vacation pictures as she does field trip pictures (12), the student could have multiplied 12 by 2 to find the number of vacation pictures. Finally, the student could have realized that 12 plus 24 equals the total number of pictures, which is represented by $p$ .
	Option G is incorrect	The student likely divided the number of field trip pictures by 2 instead of multiplying. The student needs to focus on understanding how to use a strip diagram to represent a multistep problem involving the four operations $(+, -, \times, \div)$ . The student also needs to focus on attending to the details of the question.
	Option H is incorrect	The student likely represented only the vacation pictures, starting with 12 and then doubling it. The student needs to focus on understanding how to use a strip diagram to represent a multistep problem involving the four operations $(+, -, \times, \div)$ . The student also needs to focus on attending to the details of the question.
	Option J is incorrect	The student likely represented multiplying 12 and 2 by placing the two quantities next to each other in the strip diagram. The student needs to focus on understanding how to use a strip diagram to represent a multistep problem involving the four operations $(+, -, \times, \div)$ . The student also needs to focus on attending to the details of the question.

Item #		Rationale
15	1.8 and any equivalent values are correct	To determine the decimal equivalent to $\frac{18}{10}$ , the student could have rewritten the fraction as the mixed number $1\frac{8}{10}$ and then placed the 8 to the right of the decimal point, in the tenths place, to make 1.8. This is an efficient way to solve the problem; however, other methods could be used to solve the problem
		correctly.

Item #	Rationale	
16	Option G is correct	To determine the best estimate of the combined number of miles the family will travel next summer, the student could have rounded each number to the nearest 100 when finding the sum of the six distances. The student could have used the digit in the tens place to determine whether the digit in the hundreds place should be rounded up to the next number or kept the same ( $\underline{8}1 \rightarrow 100, 1\underline{2}9 \rightarrow 100, 1\underline{8}1 \rightarrow 200, 1\underline{1}0 \rightarrow 100, 2\underline{8}8 \rightarrow 300, \underline{7}8 \rightarrow 100$ ). The student then could have added the rounded numbers ( $100 + 100 + 200 + 100 + 300 + 100 = 900$ ). This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option F is incorrect	The student likely did not look at the tens digit when deciding whether to round each number up or down and instead kept the digit in the hundreds place and added two zeros in the tens and ones places $(129 \rightarrow 100, 181 \rightarrow 100, 110 \rightarrow 100, 288 \rightarrow 200)$ . The student likely rounded 81 and 78 up to 100, since there was not a digit in the hundreds place. The student needs to focus on understanding how to round numbers and understanding reasonableness when estimating sums.
	Option H is incorrect	The student likely did not look at the tens digit when deciding whether to round each number up or down and instead rounded all numbers up to the next hundred ( $81 \rightarrow 100, 129 \rightarrow 200, 181 \rightarrow 200, 110 \rightarrow 200, 288 \rightarrow 300, 78 \rightarrow 100$ ). The student needs to focus on understanding how to round numbers and understanding reasonableness when estimating sums.
	Option J is incorrect	The student likely rounded correctly when working with the three-digit numbers but rounded the two-digit numbers as though they were three-digit numbers, adding a zero at the end of each number ( $81 \rightarrow 800$ , $78 \rightarrow 800$ ). The student needs to focus on understanding how to round numbers and understanding reasonableness when estimating sums.

Item #		Rationale
17	Option D is correct	To determine which statement best describes the three figures, the student could have evaluated whether each statement was true about each figure. The student should have recognized that each figure has at least one pair of perpendicular sides.
	Option A is incorrect	The student likely looked at the first figure and determined that the angle in the top right is an obtuse angle. The student needs to focus on understanding how to compare the attributes of two-dimensional figures.
	Option B is incorrect	The student likely looked at the first and last figures and determined that the angle in the bottom right is an acute angle. The student needs to focus on understanding how to compare the attributes of two-dimensional figures.
	Option C is incorrect	The student likely looked at the first figure and determined that it had only one pair of parallel sides. The student needs to focus on understanding how to compare the attributes of two-dimensional figures.

Item #	Rationale	
18	Option G is correct	To determine the expression (combination of numbers and operational symbols [+, -, ×, $\div$ ] grouped
		together to show the value) that CANNOT be used to represent the number $\frac{7}{10}$ , the student could have
		used the model to represent $\frac{7}{10}$ (by shading 7 of the 10 rectangles) and recognized that the only
		expression that would result in a different number of rectangles being shaded is the expression
		$\frac{4}{10} + \frac{4}{10} + \frac{3}{10}$ , because this expression totals $\frac{11}{10}$ .
	Option F is incorrect	The student likely shaded 7 of the 10 rectangles to represent $\frac{7}{10}$ but added the fractions in the
		expression $\frac{2}{10} + \frac{2}{10} + \frac{2}{10} + \frac{1}{10}$ incorrectly, resulting in $\frac{7}{40}$ , which is not equal to $\frac{7}{10}$ . The correct sum of
		$\frac{2}{10} + \frac{2}{10} + \frac{2}{10} + \frac{1}{10}$ is $\frac{7}{10}$ . The student needs to focus on adding fractions correctly in problems that
		require finding expressions that are equal to fractions.
	Option H is incorrect	The student likely shaded 7 of the 10 rectangles to represent $\frac{7}{10}$ but added the fractions in the
		expression $\frac{6}{10} + \frac{1}{10}$ incorrectly, resulting in $\frac{7}{20}$ , which is not equal to $\frac{7}{10}$ . The correct sum of $\frac{6}{10} + \frac{1}{10}$ is
		$rac{7}{10}$ . The student needs to focus on adding fractions correctly in problems that require finding expressions
		that are equal to fractions.
	Option J is incorrect	The student likely shaded 7 of the 10 rectangles to represent $\frac{7}{10}$ but added the fractions in the
		expression $\frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10}$ incorrectly, resulting in $\frac{7}{70}$ , which is not equal to $\frac{7}{10}$ . The
		correct sum of $\frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10} + \frac{1}{10}$ is $\frac{7}{10}$ . The student needs to focus on adding fractions
		correctly in problems that require finding expressions that are equal to fractions.

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Item #		Rationale
19	Option C is correct	To determine which stores have a price greater than \$1.60 but less than \$1.90 for a pound of grapes, the student should have recognized that each model has one whole (100 small squares within the large square) shaded. The student then should have found the model that has 61 to 89 small squares shaded (each small square represents 1 hundredth). Store L represents 1 whole and 88 hundredths (\$1.88), and Store N represents 1 whole and 78 hundredths (\$1.78).
	Option A is incorrect	The student likely found all the stores that sell a pound of grapes for more than \$1.60 (the lower limit) but did not check to see if the stores exceeded the upper limit (\$1.90). The model for Store P has 1 whole and 99 hundredths shaded, representing \$1.99. The student needs to focus on interpreting models used to represent wholes, tenths, and hundredths. The student also needs to focus on attending to the details of the question.
	Option B is incorrect	The student likely misplaced the 7 in the tenths place rather than the hundredths place when analyzing the model for Store M (1 whole shaded and 7 hundredths shaded, representing \$1.07). The student needs to focus on interpreting models used to represent wholes, tenths, and hundredths.
	Option D is incorrect	The student likely did not connect the visual models with the price of a pound of grapes. The student needs to focus on understanding how to interpret models used to represent wholes, tenths, and hundredths.

Item #	Rationale	
20	Option J is correct	To determine the equation represented by the incomplete array, the student could have counted the number of circles in the row (horizontal, 14) and the number of circles in the column (vertical, 13). The student then could have recognized that the completed array would model the equation $13 \times 14 = 182$ . This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option F is incorrect	The student likely excluded the circle shared by both the row and the column of the array (the circle in the top left-hand corner). The student needs to focus on understanding how an array models the product of a multiplication problem.
	Option G is incorrect	The student likely counted the number of circles in the row but excluded the first circle when counting the number of circles in the row. The student needs to focus on understanding how an array models the product of a multiplication problem.
	Option H is incorrect	The student likely counted the number of circles in the column but excluded the first circle when counting the number of circles in the column. The student needs to focus on understanding how an array models the product of a multiplication problem.

Item #		Rationale
21	Option A is correct	To determine the length of the painted wall in inches, the student could have used the relationship shown in the table (number of feet $\times$ 12 = number of inches). The student then could have multiplied 12 by 12, resulting in a total of 144 inches. This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option B is incorrect	The student likely saw that 10 feet was equivalent to 120 inches and added 2 more $(10 + 2 = 12 \text{ feet})$ to the total number of inches (120 inches + 2 feet = 122 inches). The student needs to focus on understanding that multiplication and division can be used as efficient ways to convert (change) measurements within the same measurement system.
	Option C is incorrect	The student likely added the least and greatest numbers of inches in the table but did not check by adding the equivalent values in feet $(10 + 3 \neq 12)$ . The student needs to focus on understanding that multiplication and division can be used as efficient ways to convert (change) measurements within the same measurement system.
	Option D is incorrect	The student likely added the first and third row of values in the table, incorrectly adding 3 feet and 8 feet to get 12 feet. The student needs to focus on understanding that multiplication and division can be used as efficient ways to convert (change) measurements within the same measurement system.

Item #		Rationale	
22	Option G is correct	To determine which comparison is true, the student could have found a common denominator (bottom number of the fraction that is the same) for each fraction listed. Since the fractions have denominators of 2, 4, 5, 10, and 20, the student could have recognized that a common denominator for all the fractions could be 20. The student then could have written each fraction in its equivalent form based on the common denominator of 20: $\frac{17\times1}{20\times1} = \frac{17}{20}, \frac{1\times10}{2\times10} = \frac{10}{20}, \frac{9\times2}{10\times2} = \frac{18}{20}, \frac{4\times4}{5\times4} = \frac{16}{20}, \text{ and } \frac{3\times5}{4\times5} = \frac{15}{20}$ The student then could have compared the numerators (top numbers) of the two fractions. Since 17 is less than 18, $\frac{17}{20} < \frac{18}{20}$ , which is equivalent to $\frac{17}{20} < \frac{9}{10}$ . This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.	
	Option F is incorrect	The student likely considered the fraction with the larger fractional pieces (of equivalent wholes) to be the greater fraction. The student needs to focus on understanding how to compare fractions with different numerators and denominators.	
	Option H is incorrect	The student likely considered the fraction with the larger fractional pieces (of equivalent wholes) to be the greater fraction. The student needs to focus on understanding how to compare fractions with different numerators and denominators.	
	Option J is incorrect	The student likely considered the fraction with the larger fractional pieces (of equivalent wholes) to be the greater fraction. The student needs to focus on understanding how to compare fractions with different numerators and denominators.	

Item #		Rationale
23	Option D is correct	To determine the amount of water remaining in quarts and cups, the student could have subtracted 1 quart from the initial 3 quarts $(3 - 1 = 2 \text{ quarts})$ and then regrouped 1 quart to 4 cups (1 quart and 4 cups). The student then could have subtracted the 3 cups that were poured into the sink $(4 - 3 = 1 \text{ cup})$ . There is 1 quart and 1 cup of water remaining. This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely added the 1 quart and 3 cups that were poured into the sink to 3 quarts instead of finding the difference. The student needs to focus on identifying relative sizes of measurement units within customary and metric systems. The student also needs to focus on attending to the details of the question.
	Option B is incorrect	The student likely subtracted the smaller number of cups (3 quarts <u>0 cups</u> ) from the larger number of cups (1 quart <u>3 cups</u> ); 3 cups – 0 cups = 3 cups. The student needs to focus on identifying relative sizes of measurement units within customary and metric systems. The student also needs to focus on understanding when to regroup in subtraction problems.
	Option C is incorrect	The student likely did not regroup when subtracting 1 quart 3 cups from 3 quarts. The student needs to focus on identifying relative sizes of measurement units within customary and metric systems. The student also needs to focus on understanding when to regroup in subtraction problems.

Item #		Rationale	
24	Option F is correct	To determine the equation that shows the fraction of bushes that are lilac bushes, the student should have counted the total number of squares and used that number as the denominator (bottom number of a fraction). The student then should have counted the number of shaded squares and used the number of shaded squares in each row as the numerator (top number of a fraction). The first row has 4 shaded squares, the second row has 3 shaded squares, the third row has 3 shaded squares, and the fourth row has 5 shaded squares. The student then could have written the value for each row as a fraction and added to determine the result: $\frac{4}{28} + \frac{3}{28} + \frac{3}{28} + \frac{5}{28} = \frac{15}{28}$ .	
	Option G is incorrect	The student likely counted the unshaded squares in each row, using the number of unshaded squares instead of the number of shaded squares as the numerator of each fraction. The student needs to focus on attending to the details of the question being asked in a problem.	
	Option H is incorrect	The student likely counted the number of shaded squares in each row, using the number of shaded squares as the numerator of each fraction and the total number of squares in each row as the denominator. The student needs to focus on understanding how to determine denominators in problems involving fractions.	
	Option J is incorrect	The student likely counted the shaded squares (15) and unshaded squares (13) in the model, creating a fraction for each using the total number of squares as the denominator. The student needs to focus on attending to the details of the question being asked in a problem.	

Item #		Rationale
25	Option C is correct	To determine the number Yolanda wrote, the student should have realized that in the number 58,346,000.12, the 8 is in the millions place (58,346,000.12), the 6 is in the thousands place (58,346,000.12), and the 2 is in the hundredths place (58,346,000.12). Since the conditions of the problem were met, the student should have chosen 58,346,000.12.
	Option A is incorrect	The student likely confused the millions place with the ten-millions place ( $\underline{8}6,346,000.12$ ). The student needs to focus on understanding the place values of digits in a number.
	Option B is incorrect	The student likely confused the hundredths place with the tenths place (38,056,000.21). The student needs to focus on understanding the place values of digits in a number.
	Option D is incorrect	The student likely confused the thousands place with the hundred-thousands place (98, <u>6</u> 74,200.21) and the hundredths place with the hundreds place (98,674, <u>2</u> 00.21). The student needs to focus on understanding the place values of digits in a number.

Item #		Rationale
26	2 and any equivalent	To determine the number that is missing from the stem and leaf plot (a stem and leaf plot displays the
	values are correct	data with each number split into a stem [the first digit or digits of a number] and a leaf [the last digit of a
		number]), the student could have written the data in order from least to greatest and systematically
		checked each data point until identifying the data point that would complete the stem and leaf plot. Since
		92 is not represented in the stem and leaf plot but is a data point, the student could have determined that
		the 2 from 9 2 was needed to complete the stem and leaf plot. This is an efficient way to solve the
		problem; however, other methods could be used to solve the problem correctly.

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Item #	Rationale	
27	Option B is correct	To determine the measure of angle <i>TUV</i> (the amount of turn between two lines around their common point) to the nearest degree, the student could have found the two measures on the same scale (the measurement values shown on the protractor) through which the two rays ( $\rightarrow$ , part of a line with only one endpoint) of the angle pass. The student then could have subtracted the smaller measure from the larger measure. On the inside scale, $\overrightarrow{UV}$ passes through 70° and $\overrightarrow{UT}$ passes through 10°, so the measure of angle <i>TUV</i> is 60° (70° – 10°). Alternatively, on the outside scale, $\overrightarrow{UV}$ passes through 110° and $\overrightarrow{UT}$ passes through 170°, confirming that the measure of angle <i>TUV</i> is 60° (170° – 110°). This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option A is incorrect	The student likely recognized that $\overrightarrow{UT}$ passes through 170° on the outside scale and interpreted 170° to be the measure of the angle. The student needs to focus on understanding that the measures through which rays pass must be subtracted to find the measure of an angle.
	Option C is incorrect	The student likely recognized that $\overrightarrow{UV}$ passes through 110° on the outside scale and interpreted 110° to be the measure of the angle. The student needs to focus on understanding that the measures through which rays pass must be subtracted to find the measure of an angle.
	Option D is incorrect	The student likely recognized that $\overrightarrow{UT}$ passes through 10° on the inside scale and interpreted 10° to be the measure of the angle. The student needs to focus on understanding that the measures through which rays pass must be subtracted to find the measure of an angle.

Item #		Rationale	
28	Option J is correct	To determine the set of equations that can be used to find the total number of books returned to the library, the student should have identified a set of equations where the number of books returned on Thursday (50) is multiplied by 4, because 4 times as many books were returned to the library on Friday: $50 \times 4 = 200$ . The student then should have recognized that the total number of books, <i>b</i> , is the sum of 200 and the number of books returned on Thursday: $200 + 50 = b$ .	
	Option F is incorrect	The student likely chose this set of equations after misinterpreting the number of books that were returned on Thursday and Friday as each being 50 (50 + 50 = 100). The student then chose an equation in which 100 is multiplied by 4, because 4 times as many books were returned to the library: $100 \times 4 = b$ . The student needs to focus on attending to the details in the problem and identifying the correct mathematical operations (+, -, ×, ÷) needed to represent the solution to a multistep problem using equations.	
	Option G is incorrect	The student likely chose this set of equations after misinterpreting the number of books that were returned on Thursday and Friday as each being 50 (50 + 50 = 100). The student then misinterpreted "4 times as many" as being 4 more than the total (100). The student needs to focus on attending to the details in the problem and identifying the correct mathematical operations $(+, -, \times, \div)$ needed to represent the solution to a multistep problem using equations.	
	Option H is incorrect	The student likely chose a set of equations that correctly determined the number of books returned on Friday (50 $\times$ 4 = 200) but did not use the correct operation to represent the total number of books returned to the library. The student needs to focus on understanding the mathematical operations (+, -, $\times$ , $\div$ ) needed to represent the solution to a multistep problem using equations.	

Item #		Rationale
29	Option B is correct	To determine the statement that best describes the primary services of a bank, the student should have recognized that customers can borrow money from a bank, put money into a savings or checking account, and cash checks at a bank.
	Option A is incorrect	The student likely understood that customers can put money into a savings or checking account and cash checks at a bank but did not realize that customers can borrow money from a bank. The student needs to focus on understanding all the primary services of a bank.
	Option C is incorrect	The student likely confused the primary services of a bank with a primary service of a post office. The student needs to focus on understanding the primary services of a bank.
	Option D is incorrect	The student likely confused some of the primary services of a bank with a primary service of a post office and did not realize that customers can cash checks at a bank. The student needs to focus on understanding the primary services of a bank.

Item #	Rationale		
30	Option F is correct	To determine the greatest number of cakes the baker can make, the student could have determined the total number of eggs available by multiplying the number of cartons by the number of eggs in each carton $(8 \times 12 = 96 \text{ eggs})$ . The student then could have divided the total number of eggs available by the number of eggs used in each cake $(96 \div 9 = 10 \text{ cakes}, \text{ with } 6 \text{ eggs remaining})$ . This is an efficient way to solve the problem; however, other methods could be used to solve the problem correctly.	
	Option G is incorrect	The student likely performed the correct calculations but rounded the number of cakes to 11 to account for the 6 remaining eggs. The student needs to focus on attending to the details of the question being asked in a two-step problem.	
	Option H is incorrect	The student likely multiplied the number of eggs used in each cake by the number of egg cartons $(9 \times 8 = 72)$ and divided by the number of eggs in each carton $(72 \div 12 = 6)$ . The student needs to focus on attending to the details of the question being asked in a two-step problem.	
	Option J is incorrect	The student likely multiplied the number of eggs used in each cake by the number of eggs in each carton $(9 \times 12 = 108)$ and divided by the number of cartons $(108 \div 8 = 13 \text{ cakes}, \text{ with 4 eggs remaining})$ . The student needs to focus on attending to the details of the question being asked in a two-step problem.	

Item #		Rationale
31	Option C is correct	To determine the figure that has at least one acute angle (angle that is less than 90°), right angle (angle that is equal to 90°), and obtuse angle (angle that is greater than 90° and less than 180°), the student could have examined each figure. Figure X has one acute angle (in the lower right corner), two right angles (in the lower left corner and upper left corner), and one obtuse angle (in the upper right corner).
	Option A is incorrect	The student likely identified that the trapezoid contains at least one obtuse angle (angle that is greater than 90° and less than 180°) and at least one acute angle (angle that is less than 90°) but misidentified one of the angles as a right angle (angle that is equal to 90°). The student needs to focus on recognizing the difference between acute, obtuse, and right angles in polygons.
	Option B is incorrect	The student likely identified the heptagon (a figure with seven sides) as having at least one obtuse angle (angle that is greater than 90° and less than 180°) but misidentified one angle as an acute angle (angle that is less than 90°), and one angle as a right angle (angle that is equal to 90°). The student needs to focus on recognizing the difference between acute, obtuse, and right angles in polygons.
	Option D is incorrect	The student likely identified the triangle as having one right angle (angle that is equal to 90°) and one acute angle (angle that is less than 90°) but misidentified one of the acute angles as an obtuse angle (angle that is greater than 90° and less than 180°). The student needs to focus on recognizing the difference between acute, obtuse, and right angles in polygons.

Item #		Rationale
32	Option J is correct	To determine the mixed number equivalent to 17.04, the student could have recognized that the number
		17.04 is equivalent to 17 + 0.04. The decimal 0.04 (4 hundredths) is equal to the fraction $\frac{4}{100}$ . This is an
		efficient way to solve the problem; however, other methods could be used to solve the problem correctly.
	Option F is incorrect	The student likely recognized that 17 is a whole number and should be placed to the left of the fraction
		but confused tenths and hundredths, thinking that the 4 in the number 17.04 has a value of 4 tenths
		$\left(\frac{4}{10}\right)$ rather than 4 hundredths $\left(\frac{4}{100}\right)$ . The student needs to focus on understanding the value of each
		digit in a decimal number and how to convert these values to fractions.
	Option G is incorrect	The student likely recognized that 17 was a whole number and should be placed to the left of the fraction
		but placed the 4 as the denominator and chose a numerator of 1. The student needs to focus on
		understanding the value of each digit in a decimal number and how to convert these values to fractions.
	Option H is incorrect	The student likely recognized that 17 was a whole number and should be placed to the left of the fraction
		but confused the hundredths place as mirroring the tens place. A 4 in the tens place (two places to the left
		of the decimal point) would signify the number 40; therefore, the student likely thought a 4 in a similar
		on understanding the value of each digit in a decimal number and how to convert these values to
		fractions.

Item #	Rationale	
33	Option A is correct	To determine the area of (amount of space covered by) the place mat in square inches, the student could have referred to the Area section of the STAAR Grade 4 Mathematics Reference Materials page within the test booklet to find the formula for the area of a rectangle ( $A = I \times w$ , where $A = \text{area}$ , $I = \text{length}$ , and $w = \text{width}$ ). The student should have calculated the area as $18 \times 12$ , resulting in 216 square inches.
	Option B is incorrect	The student likely added the side lengths $(18 + 12 + 18 + 12 = 60)$ to find the perimeter (distance around the outside) of the place mat instead of multiplying the length and width to find the area. The student needs to focus on understanding the difference between area and perimeter calculations and when to use each to solve problems.
	Option C is incorrect	The student likely correctly chose to multiply 18 by 12 but did not use a zero placeholder for the ones place in the second multiplication step, resulting in 54 ( $18 \times 2 = 36$ ; $18 \times 1 = 18$ ; $36 + 18 = 54$ ). The student needs to focus on understanding how to use placeholders of zero when carrying out the steps in the multiplication algorithm.
	Option D is incorrect	The student likely added the length (18) and width (12) and then multiplied the sum by itself $(30 \times 30 = 900)$ as one would to find the area of a square. The student needs to focus on understanding that the area of a rectangle is determined by multiplying the length and the width.

Item #		Rationale
34	Option H is correct	To determine which rule can be used to find the value when given the position, the student should have considered the relationship between each position and each value listed in the table. Since each output value is 21 times its paired input value, the expression involves multiplying the position number by 21 $(1 \times 21 = 21; 2 \times 21 = 42; 3 \times 21 = 63; 4 \times 21 = 84)$ . The student should have chosen the set of expressions that shows position $\times$ 21.
	Option F is incorrect	The student likely reversed the relationship, confusing the position of a number and its value. The student likely focused only on the first row of the table, recognizing that 1 is 20 less than 21, and used subtraction of 20 to represent the expression in the table $(21 - 20 = 1)$ . The student did not check to see if this relationship were true for the other positions and values in the table. The student needs to focus on understanding that the relationship between the position of a number in a pattern and its value must be true for all the numbers in the pattern.
	Option G is incorrect	The student likely focused only on the first row of the table, recognizing that the first value, 21, is 20 more than its position, 1, and used an addition of 20 to represent the expression in the table $(1 + 20 = 21)$ . The student did not check to see if this relationship were true for the other positions and values in the table. The student needs to focus on understanding that the relationship between the position of a number in a pattern and its value must be true for all the numbers in the pattern.
	Option J is incorrect	The student likely focused only on the first column of the table, representing the position, recognizing that the second positions, 2, is twice the first position, 1, and used multiplication of 2 to represent the expression in the table $(1 \times 2 = 2)$ . The student did not check to see if this relationship were true for the other positions and values in the table. The student needs to focus on understanding that the relationship between the position of a number in a pattern and its value must be true for all the numbers in the pattern.