

Revised Mathematics TEKS

SIDE-BY-SIDE TEKS COMPARISON **KINDERGARTEN**



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Grade K – Mathematics **Old TEKS** Current TEKS (2012) Supporting Information **Notes** (a) Introduction. (1) The desire to achieve educational excellence is the driving force behind the (a) Introduction. Texas essential knowledge and skills for (1) Within a well-balanced mathematics mathematics, guided by the college and The definition of a well-balanced mathematics career readiness standards. By embedding curriculum, the primary focal points curriculum has expanded to include the at Kindergarten are developing statistics, probability, and finance, while CCRS. A focus on mathematical fluency focusing on computational thinking, whole-number concepts and using and solid understanding allows for rich patterns and sorting to explore mathematical fluency, and solid exploration of the primary focal points number, data, and shape. understanding, Texas will lead the way in mathematics education and prepare all Texas students for the challenges they will face in the 21st century. (a) Introduction. (2) Throughout mathematics in The 2012 paragraph that highlights more Kindergarten-Grade 2, students build specifics about grade K mathematics content a foundation of basic understandings follows paragraphs about the mathematical in number, operation, and process standards and mathematical fluency. quantitative reasoning; patterns, This supports the notion that the TEKS should (a) Introduction. relationships, and algebraic thinking; (4) The primary focal areas in Kindergarten be learned in a way that integrates the geometry and spatial reasoning; are understanding counting and cardinality, mathematical process standards in an effort to measurement: and probability and understanding addition as joining and develop fluency. statistics. Students use numbers in subtraction as separating, and comparing

ordering, labeling, and expressing quantities and relationships to solve problems and translate informal language into mathematical language and symbols. Students use objects to create and identify patterns and use those patterns to express relationships, make predictions, and solve problems as they build an understanding of number, operation, shape, and space. Students progress from informal to formal language to describe two- and three-dimensional geometric figures and likenesses in the physical world. Students begin to develop measurement concepts as they identify and compare attributes of objects and situations. Students collect, organize, and display data and use information from graphs to

answer questions, make summary

statements, and make informal predictions based on their

experiences.

- objects by measureable attributes.
 - (A) Students develop number and operations through several fundamental concepts. Students know number names and the counting sequence. Counting and cardinality lay a solid foundation for number. Students apply the principles of counting to make the connection between numbers and quantities. (B) Students use meanings of numbers to create strategies for solving problems and responding to practical situations involving addition and subtraction.
 - (C) Students identify characteristics of objects that can be measured and directly compare objects according to these measureable attributes.

The 2012 paragraph has been updated to align to the 2012 grade 1 mathematics TEKS.

The 2012 paragraph highlights focal areas or topics that receive emphasis in this grade level. These are different from focal points which are part of the Texas Response to Curriculum Focal Points [TXRCFP]. "[A] curriculum focal point is not a single TEKS statement; a curriculum focal point is a mathematical idea or theme that is developed through appropriate arrangements of TEKS statements at that grade level that lead into a connected grouping of TEKS at the next grade level" (TEA, 2010, p. 5).

The focal areas are found within the focal points. The focal points may represent a subset of a focal area, or a focal area may represent a subset of a focal point. The focal points within the TXRCFP list related grade-level TEKS.

Old TEKS Current TEKS (2012) Supporting Information Notes

- (a) Introduction.
 - (3) Throughout mathematics in Kindergarten-Grade 2, students develop numerical fluency with conceptual understanding and computational accuracy. Students in Kindergarten-Grade 2 use basic number sense to compose and decompose numbers in order to solve problems requiring precision, estimation, and reasonableness. By the end of Grade 2, students know basic addition and subtraction facts and are using them to work flexibly, efficiently, and accurately with numbers during addition and subtraction computation.
- (a) Introduction.
 - (3) For students to become fluent in mathematics, students must develop a robust sense of number. The National Research Council's report, "Adding It Up," defines procedural fluency as "skill in carrying out procedures flexibly, accurately, efficiently, and appropriately." As students develop procedural fluency, they must also realize that true problem solving may take time, effort, and perseverance. Students in Kindergarten are expected to perform their work without the use of calculators.
- The Revised TEKS (2012) include the use of the words "automaticity," "fluency"/"fluently," and "proficiency" with references to standard algorithms. Attention is being given to these descriptors to indicate benchmark levels of skill to inform intervention efforts at each grade level. These benchmark levels are aligned to national recommendations for the development of algebra readiness for enrollment in Algebra
- Automaticity refers to the rapid recall of facts and vocabulary. For example, we would expect a fifth-grade student to recall rapidly the sum of 5 and 3 or to identify rapidly a closed figure with 3 sides and 3 angles.
- "To be mathematically proficient, students must develop conceptual understanding. procedural fluency, strategic competence, adaptive reasoning, and productive disposition" (National Research Council, 2001, p. 116).
- "Procedural fluency refers to knowledge of procedures, knowledge of when and how to use them appropriately, and skill in performing them flexibly, accurately, and efficiently" (National Research Council, 2001, p. 121).
- "Students need to see that procedures can be developed that will solve entire classes of problems, not just individual problems" (National Research Council, 2001, p. 121).

Procedural fluency and conceptual understanding weave together to develop mathematical proficiency.

Old TEKS Current TEKS (2012) Supporting Information **Notes** (a) Introduction. (2) The process standards describe ways in which students are expected to engage in the content. The placement of the process standards at the beginning of the knowledge and skills listed for each grade and course is intentional. The process standards weave the other knowledge and skills together so that students may be This 2012 paragraph occurs second in the successful problem solvers and use Revised TEKS (2012) instead of fourth as in the mathematics efficiently and effectively in current TEKS. This highlights the continued daily life. The process standards are emphasis on process skills that now continue integrated at every grade level and from Kindergarten through high school course. When possible, students will apply mathematics. mathematics to problems arising in (a) Introduction. everyday life, society, and the workplace. (4) Problem solving, language and Students will use a problem-solving model The language of this 2012 introductory communication, connections within that incorporates analyzing given paragraph is very similar to the Mathematical and outside mathematics, and formal information, formulating a plan or process standards strand within the Revised and informal reasoning underlie all strategy, determining a solution, justifying TEKS (2012). content areas in mathematics. the solution, and evaluating the problem-Throughout mathematics in solving process and the reasonableness of Kindergarten-Grade 2, students use the solution. Students will select This 2012 introductory paragraph includes these processes together with appropriate tools such as real objects, generalization and abstraction with the text technology and other mathematical manipulatives, algorithms, paper and from (1)(C). tools such as manipulative materials pencil, and technology and techniques to develop conceptual understanding such as mental math, estimation, number and solve meaningful problems as This 2012 introductory paragraph includes sense, generalization and abstraction to they do mathematics. computer programs with the text from (1)(D). solve problems. Students will effectively communicate mathematical ideas, reasoning, and their implications using This 2012 introductory paragraph states, multiple representations such as symbols, "students will use mathematical relationships to diagrams, graphs, computer programs, generate solutions and make connections and and language. Students will use predictions." instead of the text from (1)(E). mathematical relationships to generate solutions and make connections and predictions. Students will analyze mathematical relationships to connect and communicate mathematical ideas. Students will display, explain, or justify mathematical ideas and arguments using precise mathematical language in written or oral communication. (a) Introduction. (5) Statements that contain the word The State Board approved the retention of "including" reference content that must be some "such as" statements within the mastered, while those containing the TEKS where needed for clarification of phrase "such as" are intended as possible content. illustrative examples.

	Old TEKS: Number, operation, and quantitative reasoning	Current TEKS (2012)	Supporting Information	Notes
•	K(1)(A) Number, operation, and quantitative reasoning. The student uses numbers to name quantities. The student is expected to use one-to-one correspondence and language such as more than, same number as, or two less than to describe relative sizes of sets of concrete objects.	K(2)(G) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to compare sets of objects up to at least 20 in each set using comparative language.	Comparative language includes "more than," "same number as," and "two less than."	
•	K(1)(B) Number, operation, and quantitative reasoning. The student uses numbers to name quantities. The student is expected to use sets of concrete objects to represent quantities given in verbal or written form (through 20).	student uses numbers to name quantities. e student is expected to use sets of encrete objects to represent quantities een in verbal or written form (through objects). (C) Number, operation, and antitative reasoning. Estudent uses numbers to name quantities. Estudent uses numbers to name quantities. Estudent is expected to use numbers to scribe how many objects are in a set grough 20) using verbal and symbolic. K(2)(B) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to read, write, and represent whole numbers from 0 to at least 20 with and without objects or pictures.	The current SEs K(1)(B) and K(1)(C) have been combined to form K(2)(B).	
•	K(1)(C) Number, operation, and quantitative reasoning. The student uses numbers to name quantities. The student is expected to use numbers to describe how many objects are in a set (through 20) using verbal and symbolic descriptions.		Students are expected to read, write, and represent whole numbers without objects.	
_	 K(2)(A) Number, operation, and quantitative reasoning. The student describes order of events or objects. The student is expected to use language such as before or after to describe relative position in a sequence of events or objects. 		This skill is not included within the Revised TEKS (2012).	
_	K(2)(B) Number, operation, and quantitative reasoning. The student describes order of events or objects. The student is expected to name the ordinal positions in a sequence such as first, second, third, etc.		This skill is not included within the Revised TEKS (2012).	
_	K(3)(A) Number, operation, and quantitative reasoning. The student recognizes that there are quantities less than a whole. The student is expected to share a whole by separating it into two equal parts.		The content of this SE has moved to grade 2: Number and operations 2(3)(A)	

Grade K – Mathematics	
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	Old TEKS: Number, operation, and quantitative reasoning	Current TEKS (2012)	Supporting Information	Notes
_	K(3)(B) Number, operation, and quantitative reasoning. The student recognizes that there are quantities less than a whole. The student is expected to explain why a given part is half of the whole.		The content of this SE was moved to grade 2: Number and operations 2(3)(A)	
		K(3)(A) Number and operations. The student applies mathematical process standards to develop an understanding of addition and subtraction situations in order to solve problems.	Specificity as been added for modeling.	
		The student is expected to model the action of joining to represent addition and the action of separating to represent subtraction.	Creating problems has moved to grade 1: Number and operations 1(3)(F)	
•	K(4) Number, operation, and quantitative reasoning. The student models addition (joining) and subtraction (separating).	K(3)(B) Number and operations. The student applies mathematical process standards to develop an understanding of addition and subtraction situations in order to solve problems. The student is expected to solve word problems using objects and drawings to	Specificity has been added with "solve word problems." Modeling includes the result from joining to determine sums and separating to determine differences. When paired with revised SE K(1)(A), students solve problems related to real situations. Specificity has been added for sums and differences.	
	The student is expected to model and create addition and subtraction problems in real situations with concrete objects.	find sums up to 10 and differences within 10.	Students may use drawings to solve problems.	
		K(3)(C) Number and operations. The student applies mathematical process standards to develop an understanding of addition and subtraction situations in order to solve problems. The student is expected to explain the strategies used to solve problems involving adding and subtracting within 10 using spoken words, concrete and pictorial models, and number sentences.	Specificity has been added regarding the size of the sum or the original amount when subtracting as within 10. By pairing the current SE with the current K(1)(E), students can expected to explain and record observations which may include strategies. Students are expected to explain their thinking using spoken words, pictorial models, and number sentences.	

	EKS: Number, operation, and titative reasoning	Current TEKS (2012)	Supporting Information	Notes
+		K(2)(C) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to count a set of objects up to at least 20 and demonstrate that the last number said tells the number of objects in the set regardless of their arrangement or order.	Students are expected to form connections between counting with a set of objects and the number that describes a set of objects.	
+		K(2)(D) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to recognize instantly the quantity of a small group of objects in organized and random arrangements.	Organized arrangements include ten frames and the arrangements of dots on randomnumber generators. The number of items in a group should be ten or fewer.	
+		K(2)(E) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to generate a set using concrete and pictorial models that represents a number that is more than, less than, and equal to a given number up to 20.	This revised SE builds to revised SE K(2)(F). When working with concrete and pictorial models, students are representing a given number up to 20.	
+		K(2)(F) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to generate a number that is one more than or one less than another number up to at least 20.	This revised SE builds to revised SE 1(2)(D) and 2(2)(C) where students are expected to generate a number that is more than or less than a given whole number. When working without concrete and pictorial models, students are generating a given number up to at least 20.	

Old TEKS: Number, operation, and quantitative reasoning	Current TEKS (2012)	Supporting Information	Notes
+	K(2)(H) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to use comparative language to describe two numbers up to 20 presented as written numerals.	Comparative language includes "more than," "greater than," "less than," or "equal to."	
+	K(2)(I) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system. The student is expected to compose and decompose numbers up to 10 with objects and pictures.	Students may use two or more groups of objects to compose and decompose numbers up to 10. For example, the objects may be arranged to show a group of 2, a group of 3, and a group of 5 to make 10. Students may compose and decompose in a variety of ways. For example, the objects may be arranged to show a group of 2, a group of 3, and a group of 5 to make 10 or a group of 3, a group of 3, and a group of 4 to make 10.	
+	K(4) Number and operations. The student applies mathematical process standards to identify coins in order to recognize the need for monetary transactions. The student is expected to identify U.S. coins by name, including pennies, nickels, dimes, and quarters.	This builds to revised SE 1(4)(B) where students are expected to write a number with the cent symbol to describe the value of the coin.	

	Old TEKS: Patterns, relationships, and algebraic thinking	Current TEKS (2012)	Supporting Information	Notes
-	 K(5) Patterns, relationships, and algebraic thinking. The student identifies, extends, and creates patterns. The student is expected to identify, extend, and create patterns of sounds, physical movement, and concrete objects. 		This skill is not included within the Revised TEKS (2012).	
_	K(6)(A) Patterns, relationships, and algebraic thinking. The student uses patterns to make predictions. The student is expected to use patterns to predict what comes next, including causeand-effect relationships.		This skill is not included within the Revised TEKS (2012).	
		K(2)(A) Number and operations. The student applies mathematical process standards to understand how to represent and compare whole numbers, the relative position and magnitude of whole numbers, and relationships within the numeration system.	The lower limit for counting is 20 with and without objects. Students are expected to count by ones, starting at any number.	
	+ K(6)(B) Patterns, relationships, and algebraic thinking. The student uses patterns to make predictions.	The student is expected to count forward and backward to at least 20 with and without objects.	Students are expected to count backward with and without objects.	
	The student is expected to count by ones to 100.	K(5) Algebraic reasoning . The student applies mathematical process standards to identify the pattern in the number word list.	Reciting numbers should be developed through counting so that students have meaning behind the recitation. This recitation builds automaticity when counting by ones or by tens.	
		The student is expected to recite numbers up to at least 100 by ones and tens beginning with any given number.	Recitation includes reciting by tens. The given number, when reciting by tens, should be a multiple of ten.	

Old TEKS: Geometry and spatial reasoning	Current TEKS (2012)	Supporting Information	Notes
 K(7)(A) Geometry and spatial reasoning. The student describes the relative positions of objects. The student is expected to describe one object in relation to another using informal language such as over, under, above, and below. 		This skill is not included within the Revised TEKS (2012). This skill is not included within the Revised TEKS (2012).	
 K(7)(B) Geometry and spatial reasoning. The student describes the relative positions of objects. The student is expected to place an object in a specified position. 			
K(8)(A) Geometry and spatial reasoning. The student uses attributes to determine how + objects are alike and different.	K(6)(D) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional shapes and three-dimensional solids to develop generalizations about their properties.	Specificity has been provided for objects. They should be two-dimensional shapes.	
The student is expected to describe and identify an object by its attributes using informal language.	The student is expected to identify attributes of two-dimensional shapes using informal and formal geometric language interchangeably.	Students are expected to use formal geometric language such as "vertex" or "vertices" for corners and "side" for edge.	
K(8)(B) Geometry and spatial reasoning. The student uses attributes to determine how objects are alike and different. The student is expected to compare two objects based on their attributes.	K(6)(E) Geometry and measurement . The student applies mathematical process	Specificity regarding the figures has been provided. They may be regular or irregular. Orientation and size should not be attributes which students use to sort and classify figures	
 K(8)(C) Geometry and spatial reasoning. The student uses attributes to determine how objects are alike and different. The student is expected to sort a variety of objects including two- and three-dimensional geometric figures according to their attributes and describe how the objects are sorted. 	standards to analyze attributes of two- dimensional shapes and three-dimensional solids to develop generalizations about their properties. The student is expected to classify and sort a variety of regular and irregular two- and three-dimensional figures regardless of orientation or size.	as these are not related to attributes of 2-d and 3-d figures. Comparing two objects based on their attributes becomes subsumed within the sorting of a variety of figures. For example, students may sort a collection of 2-d and 3-d figures based on dimension. They might compare a triangle and a triangular pyramid while sorting. The revised SE rephrases "describe how the objects are sorted" with "classify."	

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	Old TEKS: Geometry and spatial reasoning	Current TEKS (2012)	Supporting Information	Notes
	K(9)(A) Geometry and spatial reasoning. The student recognizes attributes of two- and three-dimensional geometric figures.	K(6)(B) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional shapes and three-dimensional solids to develop generalizations about their	The revised SE rephrases "describe and compare" with "identify."	
	The student is expected to describe and compare the attributes of real-life objects such as balls, boxes, cans, and cones or models of three-dimensional geometric figures.	The student is expected to identify three-dimensional solids, including cylinders, cones, spheres, and cubes, in the real world.	Students are expected to use formal mathematical vocabulary such as cylinder, cone, sphere, and cube when identifying solids.	
•	K(9)(B) Geometry and spatial reasoning. The student recognizes attributes of two- and three-dimensional geometric figures. The student is expected to recognize shapes in real-life three-dimensional geometric figures or models of three-dimensional geometric figures.	K(6)(C) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional shapes and three-dimensional solids to develop generalizations about their properties. The student is expected to identify two-dimensional components of three-dimensional objects.	The revised SE rephrases "recognize shapes" with "identify two-dimensional components." To align with revised SE, the two-dimensional components include circles, triangles, rectangles, and squares. For example, the face of a tissue box is a rectangle.	
•	K(9)(C) Geometry and spatial reasoning. The student recognizes attributes of two- and three-dimensional geometric figures. The student is expected to describe, identify, and compare circles, triangles, rectangles, and squares (a special type of rectangle).	K(6)(A) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional shapes and three-dimensional solids to develop generalizations about their properties. The student is expected to identify two-dimensional shapes, including circles, triangles, rectangles, and squares as special rectangles.	Students identify two-dimensional shapes based on attributes. When paired with revised SE K(1)(D), K(1)(F), and K(1)(G), the expectation is that students may describe and compare the identified figures to just their identifications.	
+		K(6)(F) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional shapes and three-dimensional solids to develop generalizations about their properties. The student is expected to create two-dimensional shapes using a variety of materials and drawings.		

	Old TEKS: Measurement	Current TEKS (2012)	Supporting Information	Notes
0	K(10)(A) Measurement. The student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language to solve problems and answer questions. The student is expected to compare and order two or three concrete objects according to length (longer/shorter than, or the same).	K(7)(B) Geometry and measurement. The student applies mathematical process standards to directly compare measureable attributes. The student is expected to compare two objects with a common measurable attribute to see which object has more of/less of the attribute and describe the difference.	The current SEs K(10)(A), K(10)(C), and K(10)(D) have been summarized with the revised SE. Common measurable attributes include length. To describe a difference in length, students may use language such as "longer," "shorter," or "the same." Students are not expected to compare three objects according to length. Students are not expected to order objects according to length.	
_	K(10)(B) Measurement. The student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language to solve problems and answer questions. The student is expected to compare the areas of two flat surfaces of two-dimensional figures (covers more, covers less, or covers the same).		Concepts related to area begin in grade 2: Geometry and measurement 2(9)(F)	
•	K(10)(C) Measurement. The student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language to solve problems and answer questions. The student is expected to compare two containers according to capacity (holds more, holds less, or holds the same).	K(7)(B) Geometry and measurement. The student applies mathematical process standards to directly compare measureable attributes. The student is expected to compare two objects with a common measurable attribute to see which object has more of/less of the attribute and describe the difference.	The current SEs K(10)(A), K(10)(C), and K(10)(D) have been summarized with the revised SE. Common measurable attributes include capacity. To describe a difference in capacity, students may use language such as "holds more," "holds less," or "holds the same."	
0	K(10)(D) Measurement. The student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language to solve problems and answer questions. The student is expected to compare two objects according to weight/mass (heavier than, lighter than or equal to).	K(7)(B) Geometry and measurement. The student applies mathematical process standards to directly compare measureable attributes. The student is expected to compare two objects with a common measurable attribute to see which object has more of/less of the attribute and describe the difference.	The current SEs K(10)(A), K(10)(C), and K(10)(D) have been summarized with the revised SE. Common measurable attributes include weight. To describe a difference in weight, students may use language such as "heavier than," "lighter than," or "equal to." Mass is not included within the Revised TEKS (2012).	

Old TEKS: Measurement	Current TEKS (2012)	Supporting Information Notes	
K(10)(E) Measurement. The student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language to solve problems and answer questions. The student is expected to compare situations or objects according to relative temperature (hotter/colder than, or the same as).		This skill is not included within the Revised TEKS (2012).	
K(11)(A) Measurement. The student uses time to describe, compare, and order events and situations. The student is expected to compare events according to duration such as more time than or less time than.		This skill is not included within the Revised TEKS (2012).	
K(11)(B) Measurement . The student uses time to describe, compare, and order events and situations. The student is expected to sequence events (up to three).		This skill is not included within the Revised TEKS (2012).	
K(11)(C) Measurement. The student uses time to describe, compare, and order events and situations. The student is expected to read a calendar using days, weeks, and months.		This skill is not included within the Revised TEKS (2012).	
+	K(7)(A) Geometry and measurement. The student applies mathematical process standards to directly compare measureable attributes. The student is expected to give an example of a measurable attribute of a given object, including length, capacity, and weight.	While students may give many examples of measurable attributes, the attributes of length, capacity, and weight build vertically to measurement in later grades.	

Old TEKS: Probability and statistics	Current TEKS (2012)	Supporting Information	Notes
	K(8)(A) Data analysis . The student applies mathematical process standards to collect and organize data to make it useful for interpreting information.	Specificity for constructing graphs has been added with "collect, sort, and organize data." Data are to be sorted into two or three categories.	
K(12)(A) Probability and statistics . The student constructs and uses graphs of real objects or pictures to answer questions.	The student is expected to collect, sort, and organize data into two or three categories.	To build to revised SE 1(8)(A), data may be organized using T-charts and tally marks.	
The student is expected to construct		The data collection takes place in response to a question.	
graphs using real objects or pictures in order to answer questions.	K(8)(B) Data analysis . The student applies mathematical process standards to collect and organize data to make it useful for interpreting information. The student is expected to use data to create real-object and picture graphs.	The real-object graphs and pictures graphs builds to revised SE 1(8)(B) where students use data to create picture and bar-type graphs. Arrangements of objects and pictures should be linear.	
K(12)(B) Probability and statistics. The student constructs and uses graphs of real objects or pictures to answer questions. The student is expected to use information from a graph of real objects or pictures in order to answer questions.	K(8)(C) Data analysis. The student applies mathematical process standards to collect and organize data to make it useful for interpreting information. The student is expected to draw conclusions from real-object and picture graphs.	Students should draw conclusions related to the question that led to the data collection. Students may also draw conclusions about the data related to number concepts and operations in the Number and operations strand for grade K.	

Old TEKS: Underlying processes and mathematical tools	Current TEKS (2012)	Supporting Information		Notes
X(13)(A) Underlying processes and mathematical tools. The student applies Kindergarten mathematics to solve problems connected to everyday experiences and activities in and outside of school.	K(1)(A) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding.	The focus has shifted to application. The opportunities for application have been consolidated into three areas: everyday life, society, and the workplace. The revised SE, when tagged to a content SE, allows for increased rigor through connections outside the discipline.		
The student is expected to identify mathematics in everyday situations.	The student is expected to apply mathematics to problems arising in everyday life, society, and the workplace.			
(13)(B) Underlying processes and mathematical tools. The student applies Kindergarten mathematics to solve problems connected to everyday experiences and activities in and outside of school. The student is expected to solve problems with guidance that incorporates the processes of understanding the problem, making a plan carrying out the plan and	K(1)(B) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical	K(13)(B) and K(13)(C) Problem-Solving M Current TEKS	lodel Revised TEKS (2012)	
evaluating the solution for reasonableness.		problem Making a plan	information Formulating a plan	
((13)(C) Underlying processes and mathematical tools. The student applies Kindergarten mathematics to solve problems connected to everyday experiences and activities in and outside of school.	solving model that incorporates analyzing given information, formulating a plan or strategy, determining a solution, justifying the solution, and evaluating the problem-	Carrying out the plan	or strategy Determining a solution Justifying the solution	
The student is expected to select or develop an appropriate problem-solving strategy including drawing a picture, looking for a pattern, systematic guessing and checking, or acting it out in order to solve a problem.	the solution.	Evaluating the solution for reasonableness	Evaluating the problem-solving process and the reasonableness of the solution	
X(13)(D) Underlying processes and mathematical tools. The student applies Kindergarten mathematics to solve problems connected to everyday experiences and activities in and outside of school. The student is expected to use tools such as real objects, manipulatives, and technology to solve problems.	K(1)(C) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to select tools, including real objects, manipulatives, paper and pencil, and technology as appropriate, and techniques, including mental math, estimation, and number	into the Revised TEKS students are assessing rather than trying only "Paper and pencil" is n tools that still includes	(2012). This implies that g which tool to apply y one or all. now included in the list of creal objects,	
	(13)(A) Underlying processes and mathematical tools. The student applies connected to everyday experiences and mathematics in and outside of school. The student is expected to identify mathematics in everyday situations. ((13)(B) Underlying processes and mathematical tools. The student applies connected to everyday experiences and mathematical tools. The student applies connected to everyday experiences and mathematical tools of school. The student is expected to solve problems with guidance that incorporates the processes of understanding the problem, making a plan, carrying out the plan, and evaluating the solution for easonableness. ((13)(C) Underlying processes and mathematical tools. The student applies connected to everyday experiences and mathematical tools. The student applies connected to everyday experiences and mathematical tools appropriate problem-solving strategy including drawing a picture, mathematical tools appropriate problem-solving strategy including drawing a picture, mathematical tools. The student is expected to select or develop an appropriate problem-solving strategy including drawing a picture, mathematical tools. The student applies conducted to everyday experiences and mathematical tools. The student applies connected to everyday experiences and mathematical tools. The student applies connected to everyday experiences and mathematical tools. The student is expected to use tools such as real objects, manipulatives, and	(3) (A) Underlying processes and mathematical tools. The student applies sindergarten mathematics to solve problems connected to everyday experiences and nethematics in everyday situations. (3) (B) Underlying processes and mathematical tools. The student applies sindergarten mathematics to solve problems connected to everyday experiences and mathematical tools. The student applies sindergarten mathematics to solve problems with guidance that incorporates the processes of understanding the problem, making a plan, carrying out the plan, and evaluating the solution for easonableness. (3) (3) (2) Underlying processes and mathematical tools. The student applies somected to everyday experiences and incitivities in and outside of school. (3) (2) Underlying processes and mathematical tools. The student applies somected to everyday experiences and incitivities in and outside of school. (3) (3) Underlying processes and mathematical tools. The student applies somected to everyday experiences and incitivities in and outside of school. (3) (3) Underlying processes and mathematical tools. The student applies somected to everyday experiences and incitivities in and outside of school. (3) (3) Underlying processes and mathematical tools. The student applies some color a pattern, systematic guessing and checking, or acting it out in order to solve a problem. (3) (3) Underlying processes and mathematical tools. The student applies some color applies and checking, or acting it out in order to solve a problem. (3) (4) Underlying processes and mathematical tools. The student applies information, formulating a plan or strategy, determining a solution, justifying the solution, and evaluating the problems solving process and the reasonableness of the solution. (3) (4) Underlying processes and mathematical tools. The student uses mathematical processes to acquire and demonstrate mathematical understanding. (4) (1) (6) Mathematical processes to acquire and demonstrate mathematical understanding. (4) (1) (6) Mathematical proces	x(13)(A) Underlying processes and mathematical tools. The student applies connected to everyday experiences and mathematical tools. 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The revised SE, when tagged to a content SE, allows for increased rigor through connections outside the discipline. K(13)(B) Underlying processes and mathematical tools. The student applies (indergarten mathematics to solve problems onnected to everyday experiences and cutivities in and outside of school. (1(3)(C) Underlying processes and mathematical tools. The student applies (indergarten mathematics to solve problems onnected to everyday experiences and cutivities in and outside of school. (1(3)(C) Underlying processes and mathematical tools. The student applies (indergarten mathematics to solve problems onnected to everyday seperiences and cutivities in and outside of school. (1(3)(C) Underlying processes and mathematical tools. The student applies (indergarten mathematics to solve problems onnected to everyday seperiences and cutivities in and outside of school. (1(3)(C) Underlying processes and mathematical tools. The student is expected to select tools including real objects, manipulatives, and technology, or acting i

Old TEKS: Underlying processes and mathematical tools	Current TEKS (2012)	Supporting Information	Notes
K(14)(A) Underlying processes and mathematical tools. The student communicates about Kindergarten mathematics using informal language. The student is expected to communicate mathematical ideas using objects, words, pictures, numbers, and technology.	K(1)(D) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to communicate mathematical ideas, reasoning, and their implications using multiple representations, including symbols, diagrams, graphs, and language as appropriate.	Communication has expanded to include reasoning and the implications of mathematical ideas and reasoning. The list of representations is now summarized with "multiple representations" with specificity added for symbols and diagrams.	
K(14)(B) Underlying processes and mathematical tools. The student communicates about Kindergarten mathematics using informal language. The student is expected to relate everyday language to mathematical language and symbols.	K(1)(E) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to create and use representations to organize, record, and communicate mathematical ideas.	The use of representations is extended to include organizing and recording mathematical ideas in addition to communicating. As students use and create representations, it is implied that they will evaluate the effectiveness of their representations to ensure that they are communicating mathematical ideas clearly. Students are expected to use appropriate mathematical vocabulary and phrasing when communicating mathematical ideas.	
V(15) Underlying processes and	K(1)(F) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to analyze mathematical relationships to connect and communicate mathematical ideas.	The Revised TEKS (2012) extends the current TEKS to allow for additional means to analyze relationships and to form connections with mathematical ideas past conjecturing and sets of examples and non-examples. Students are still expected to form conjectures based on patterns or sets of examples and non-examples.	
K(15) Underlying processes and mathematical tools. The student uses logical reasoning. The student is expected to justify his or her thinking using objects, words, pictures, numbers, and technology.	K(1)(G) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to display, explain, and justify mathematical ideas and arguments using precise mathematical language in written or oral communications.	The Revised TEKS (2012) clarifies "validates his/her conclusions" with displays, explanations, and justifications. The conclusions are expected to focus on mathematical ideas and arguments. Displays could include diagrams, visual aids, written work, etc. The intention is make one's work visible to others so that explanations and justifications may be shared in written or oral form. Precise mathematical language is expected. For example, students would use "vertex" instead of "corner" when referring to the point at which two edges intersect on a polygon.	

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Old TEKS: Financial Literacy	Current TEKS (2012)	Supporting Information	Notes
+	K(9)(A) Personal financial literacy. The student applies mathematical process standards to manage one's financial resources effectively for lifetime financial security. The student is expected to identify ways to earn income.		
+	K(9)(B) Personal financial literacy. The student applies mathematical process standards to manage one's financial resources effectively for lifetime financial security. The student is expected to differentiate between money received as income and money received as gifts.		
+	K(9)(C) Personal financial literacy. The student applies mathematical process standards to manage one's financial resources effectively for lifetime financial security. The student is expected to list simple skills required for jobs.		
+	K(9)(D) Personal financial literacy. The student applies mathematical process standards to manage one's financial resources effectively for lifetime financial security. The student is expected to distinguish between wants and needs and identify income as a source to meet one's wants and needs.		